

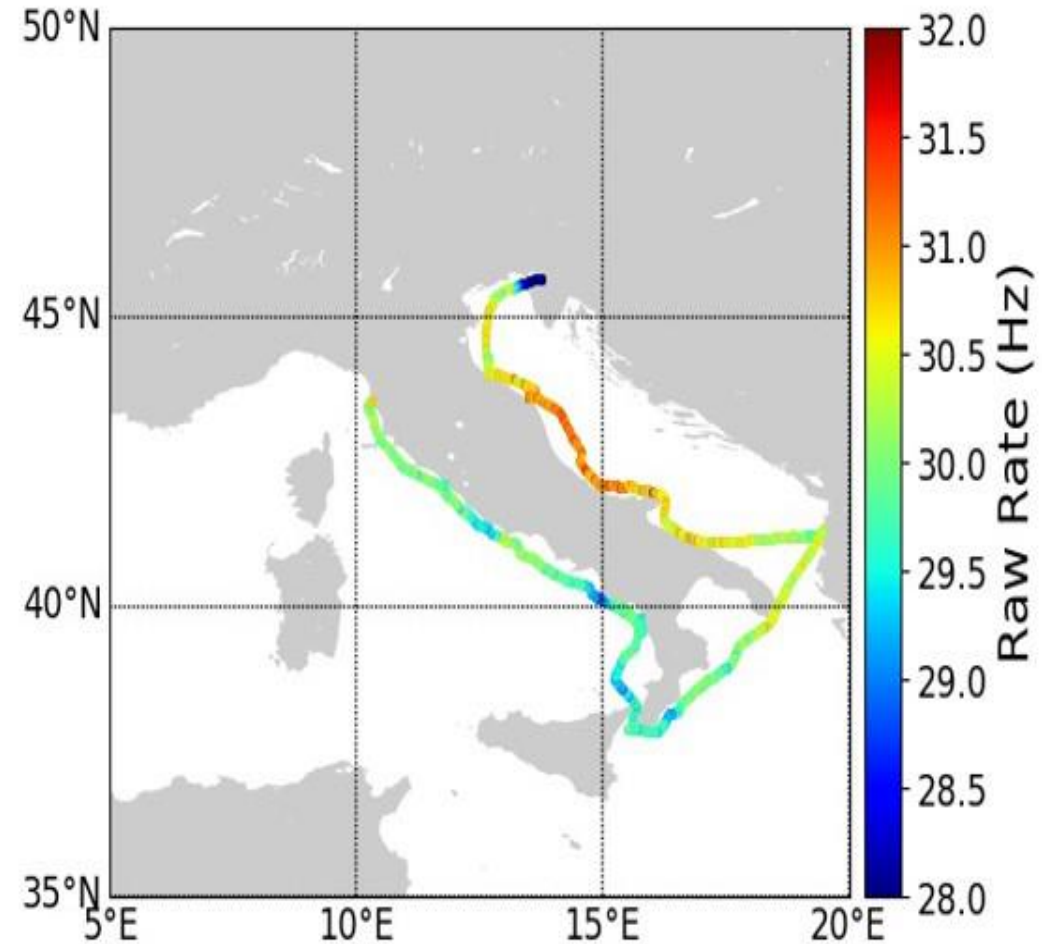
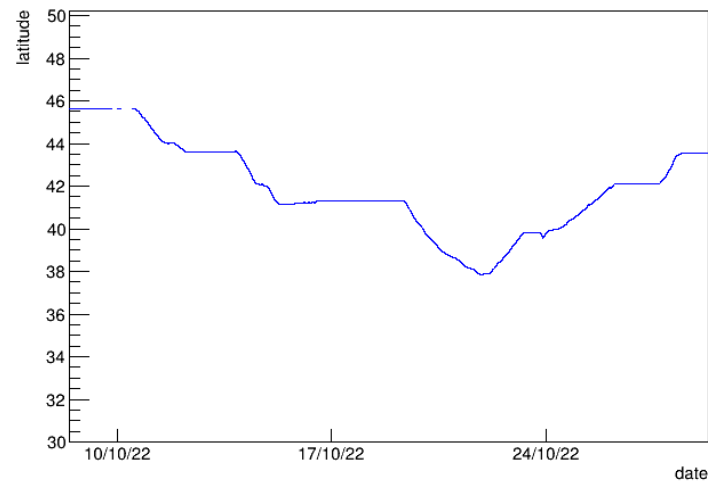
Measurements campaign aboard the Amerigo Vespucci ship

Paola La Rocca

EEE Analysis Meeting – 14/10/2024

The trip

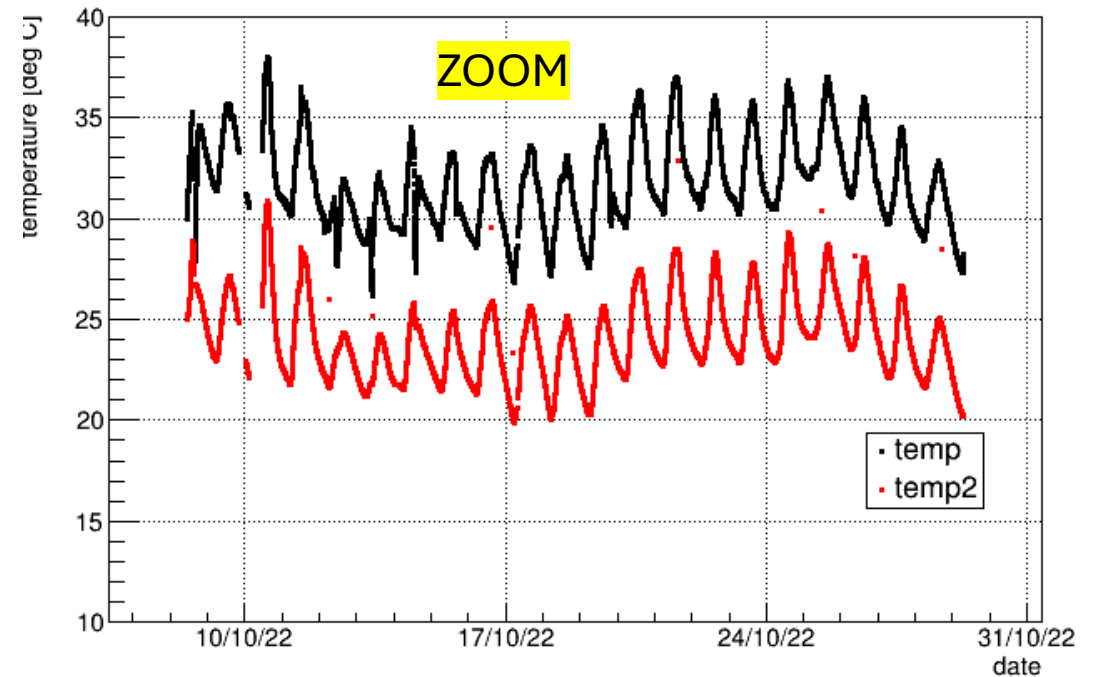
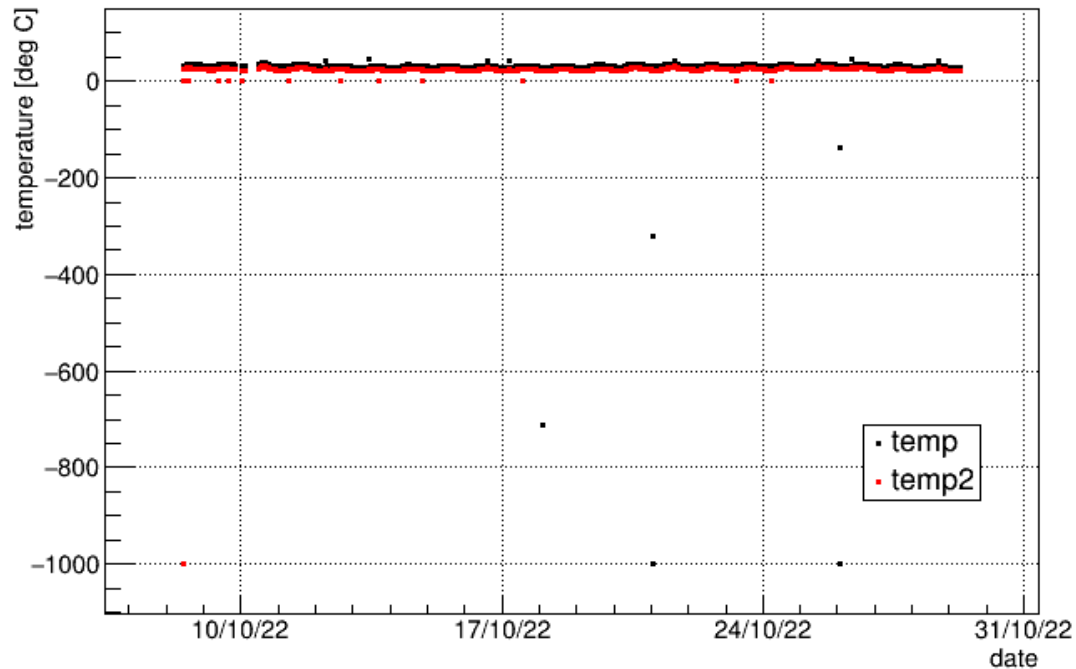
- 2022, 8 October: POLA-02 installation in Trieste
- 2022, 29 October: end of the trip in Livorno
- Latitude interval covered: 38° N-45° N
- Minor issues: direct sun light



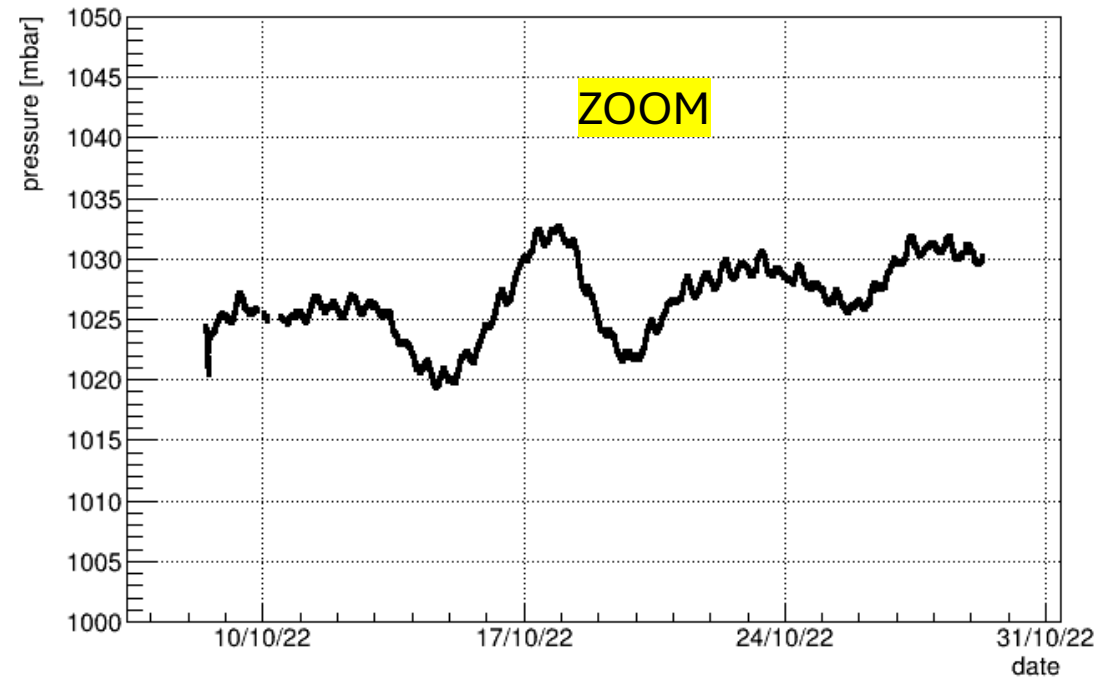
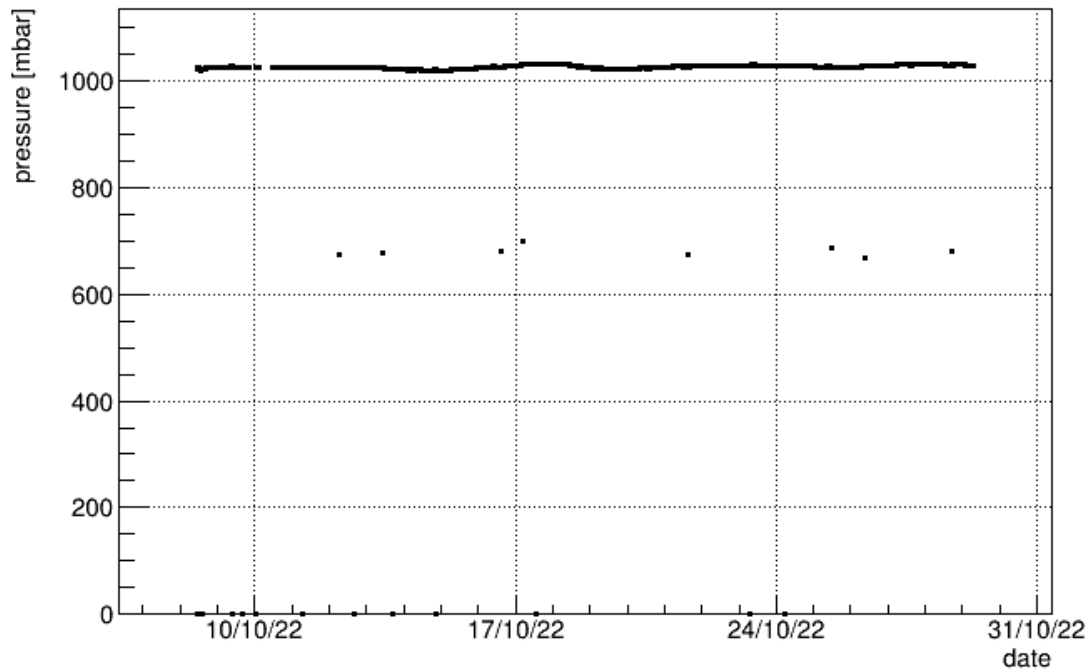
The data set

- Continuous readout (only a short interruption at the beginning)
- Standard data format (see Ombretta's presentations in the last meetings)
- Variable used in the analysis:
 - ts // timestamp from 1 Jan 2007
 - status // status (0=good minute)
 - rateRaw // raw rate (=trigger rate) (majority condition)
 - rate // rate majority condition + 1 single track
 - rate4c // rate requiring all 4 SiPMs fired + 1 single track
 - ratePair[16] // rate for each pair of plates (majority condition + 1 single track)
 - ratePair4c[16] // rate for each pair of plates (4AND condition + 1 single track)
 - pres // pressure in mbar
 - lat // latitude
 - lon // longitude
 - temp // temperature
 - temp2 // temperature2
 - eff[16] // pseudo-efficiency for each channel 4AND/majority
 - parRates[2] // rates from slot control output

Environmental parameters – temperature



Environmental parameters – atm. pressure



Basic quality cuts

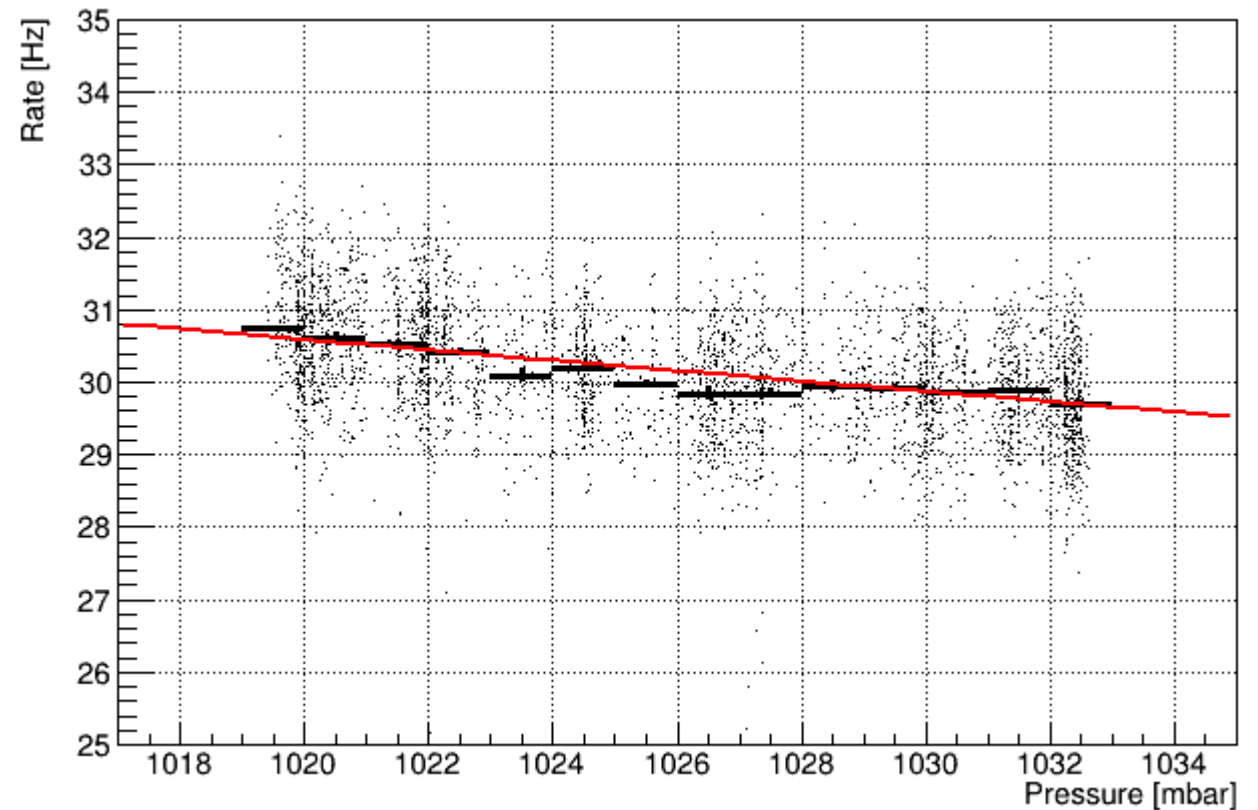
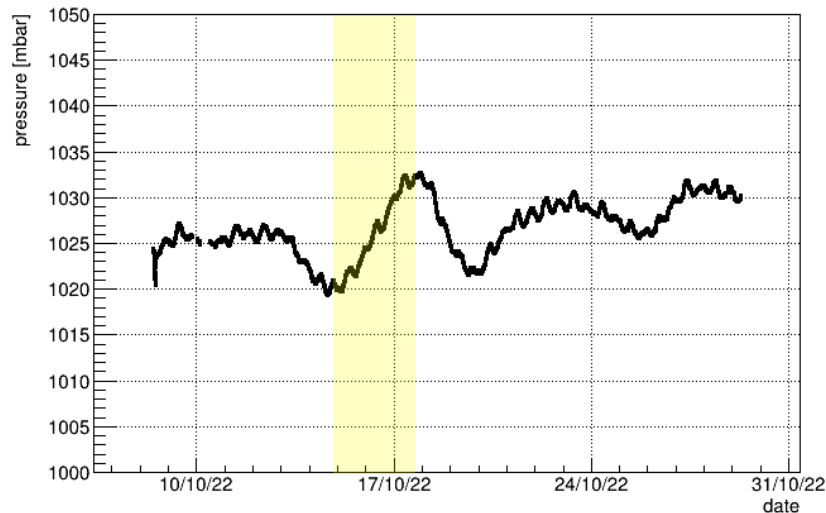
Number of 1 minute measures = 28699

- **status** = 0 (rejected 4863 measures, 17%)
- **pres** > 800 && < 1100 (rejected 0 measures, 0%)
- **temp** AND **temp2** > 15 && < 40 (rejected 9 measures, 0.04%)
- $\text{abs}(\text{rateRaw} - \text{parRates}[0]) < 2$ (rejected 339 measures, 1.4%) comparison between the raw rate and the slow control value

Total number of rejected measures 5211 (18%)

Barometric coefficient

Time interval 14/10/2022 h 15:00 → 17/10/2022 h 22:10 ($\Delta P \sim 10$ mbar)



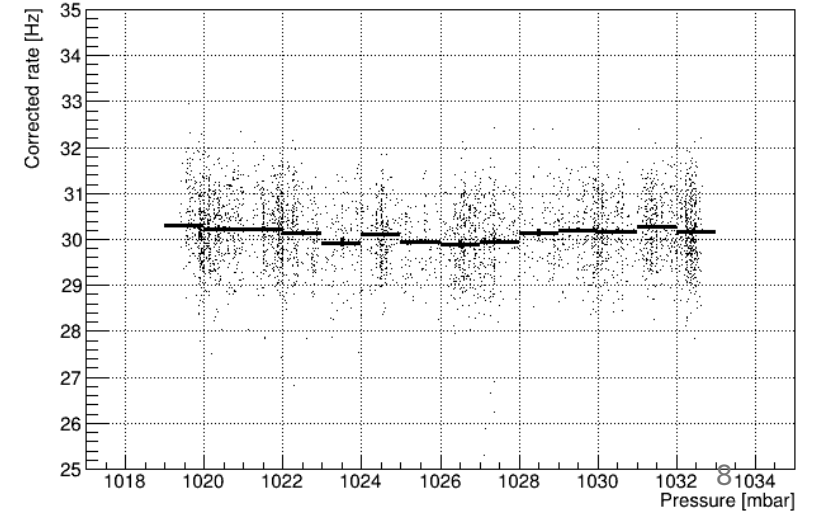
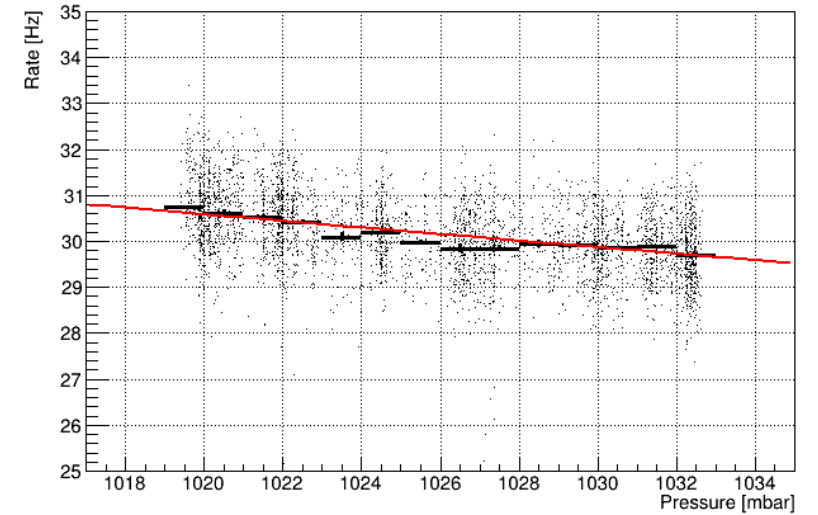
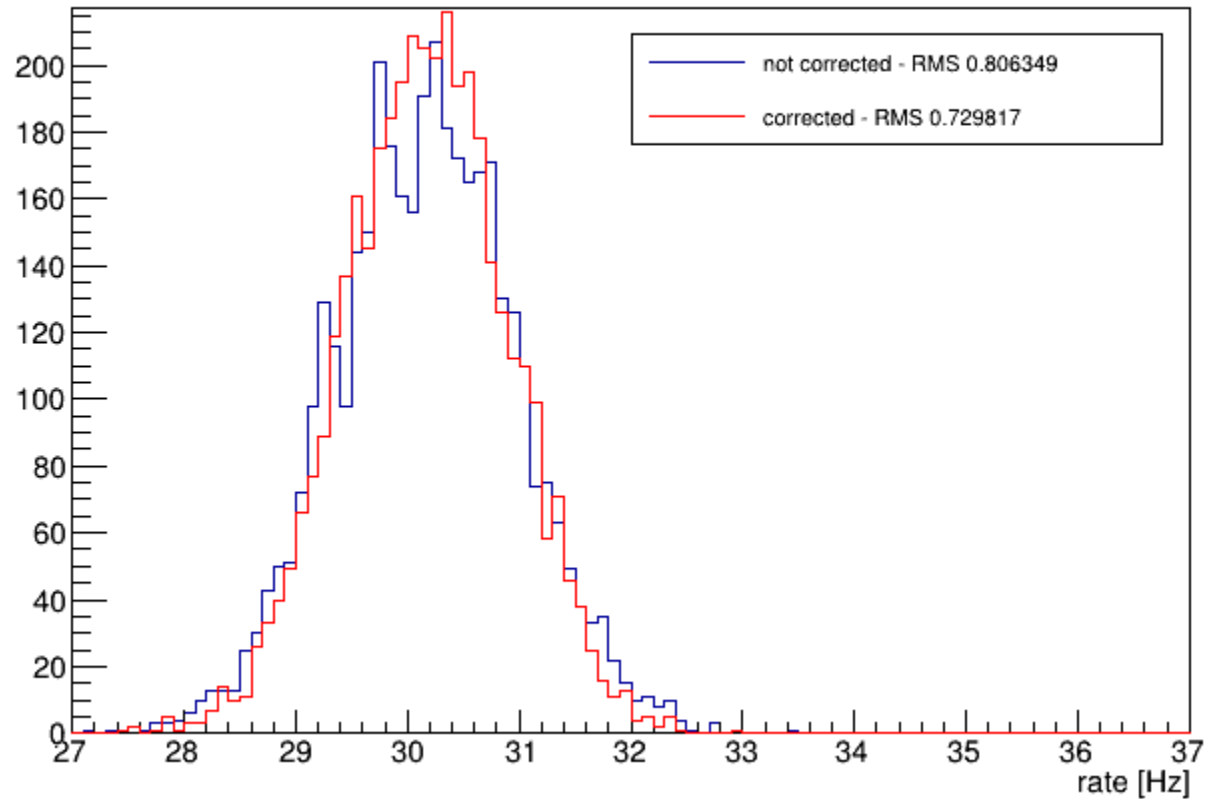
Fit function $R = \exp[\alpha + \beta(p - p_{\text{ref}}^*)]$

→ $\beta = (-0.236 \pm 0.009) \text{ \%/mbar}$

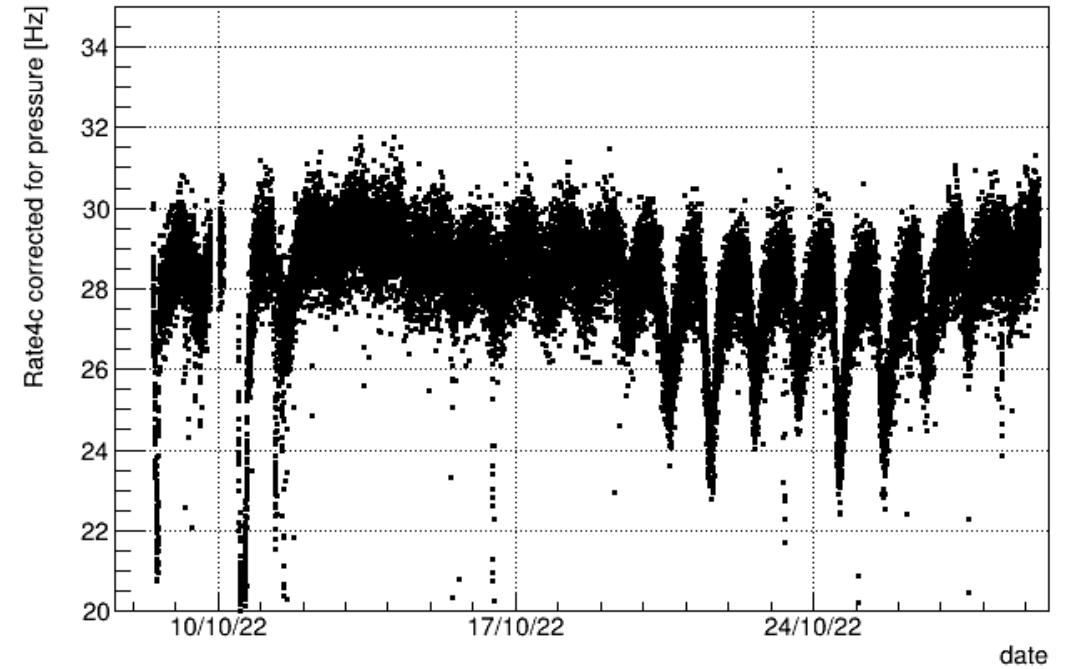
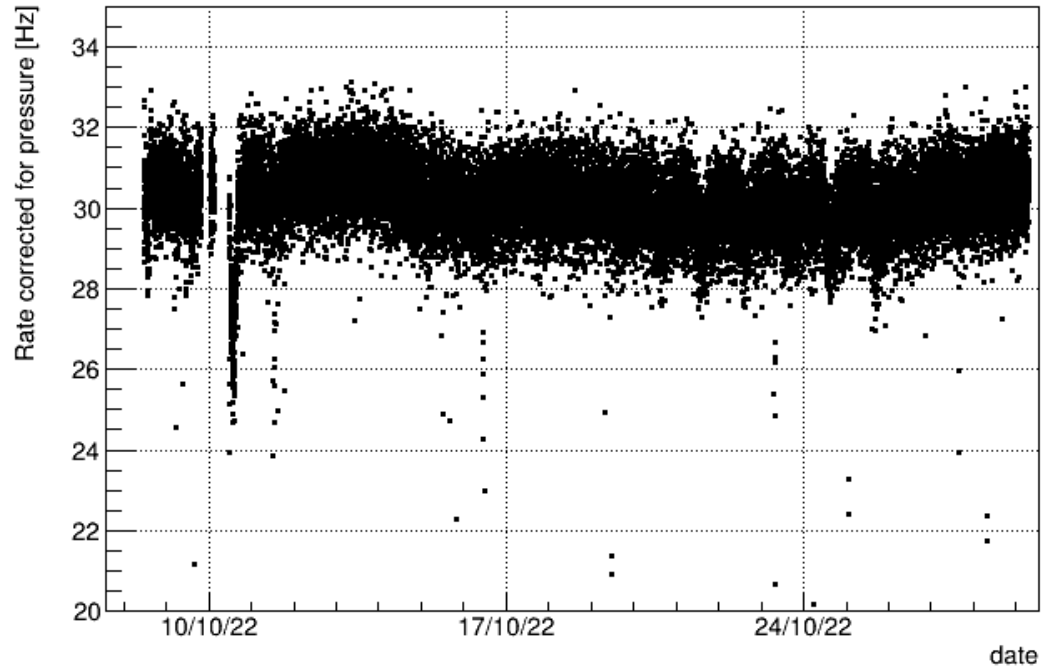
Rate4c → $\beta = (-0.23 \pm 0.01) \text{ \%/mbar}$

(* p_{ref} = average pressures during the whole data taking)

Correction for atmospheric pressure



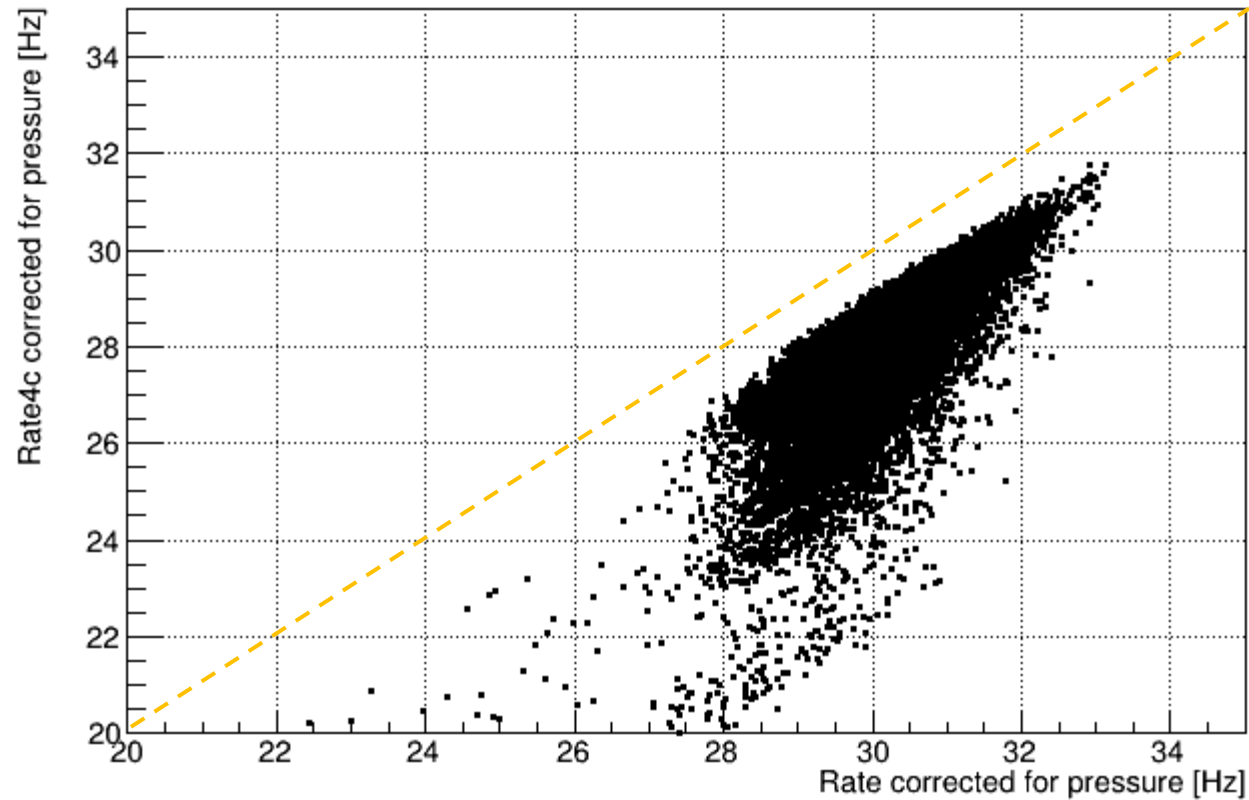
Rate and Rate4c (both corrected for pressure) trends



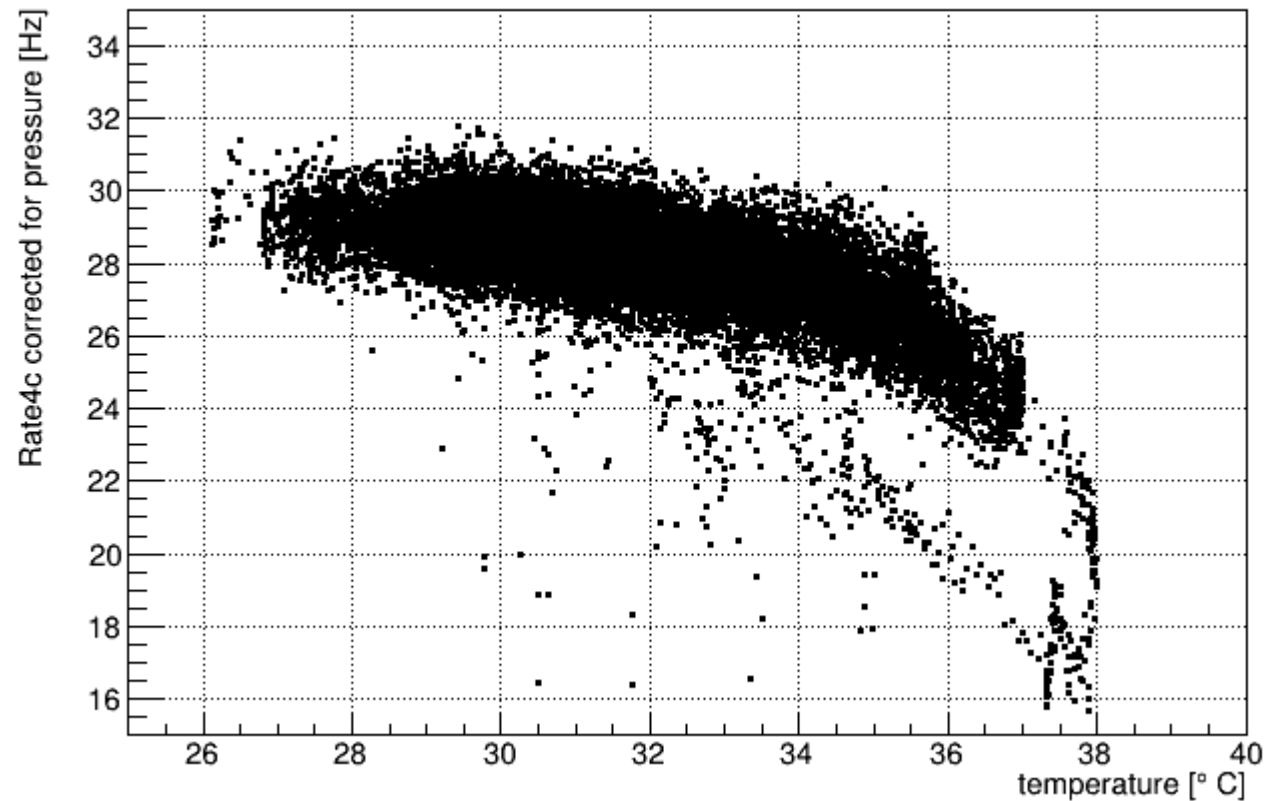
- Rate is more stable in majority wrt 4AND condition
- Rate in majority is on average higher than rate in 4AND condition

→ rate includes more
spurious coincidences
than rate4c

Rate VS Rate4c (both corrected for pressure)



Effect of temperature



- Slight dependance on temperature
- Taken into account by applying a efficiency correction (see next slides)

Pseudo-efficiency correction

From now on, rate from pairs of tiles is considered in order to apply a correction for pseudo-efficiency

- 4AND condition (4 SiPMs fired + 1 single track): $\text{rate4c} \rightarrow \text{ratePair4c}[16]$
- Majority condition (3 out of 4 SiPMs fired + 1 single track): $\text{rate} \rightarrow \text{ratePair}[16]$

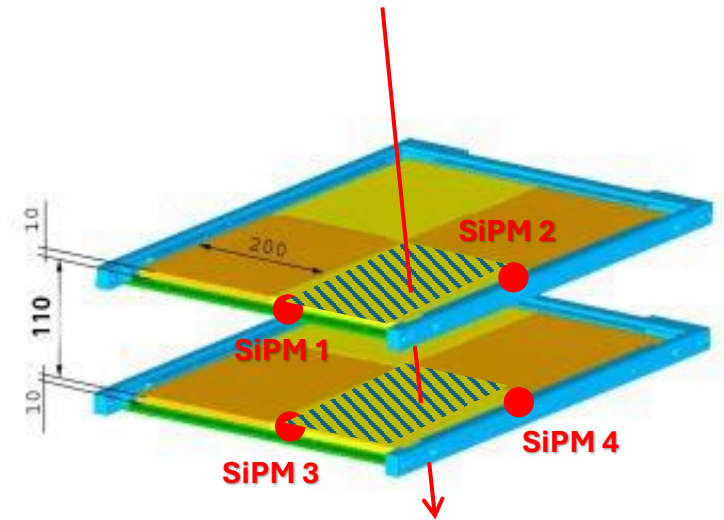
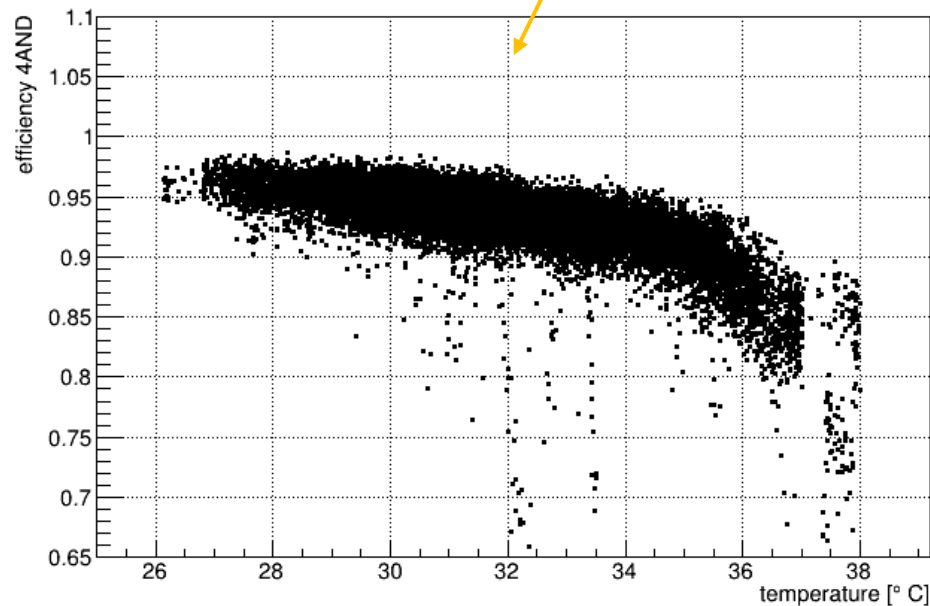
(N.B. $\text{rate4c} = \sum_{i=0}^{15} \text{ratePair4c}[i]$ and $\text{rate} = \sum_{i=0}^{15} \text{ratePair}[i]$)

Efficiency correction in 4AND condition

For a given pair i -th of tiles, the efficiency is:

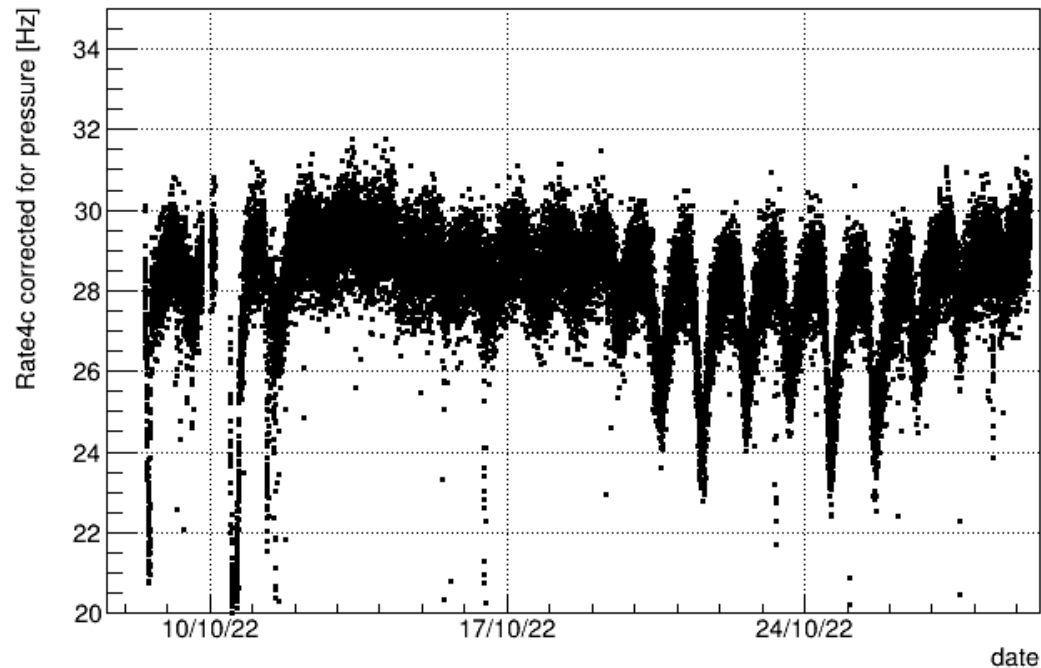
$$\varepsilon[i] = \varepsilon_1[i] \times \varepsilon_2[i] \times \varepsilon_3[i] \times \varepsilon_4[i]$$

Efficiency in 4AND depends on temperature

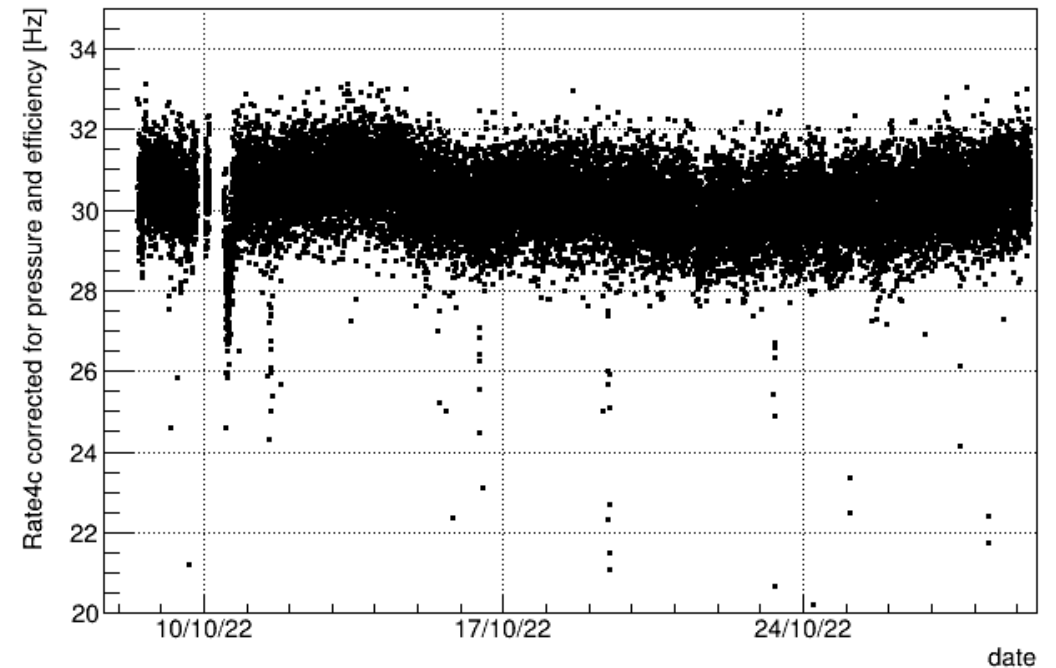


Efficiency correction in 4AND condition

$$\text{Rate4c corrected for efficiency} = \sum_{i=0}^{15} \text{ratePair4c}[i] / \epsilon[i]$$



Corrected for barometric effect

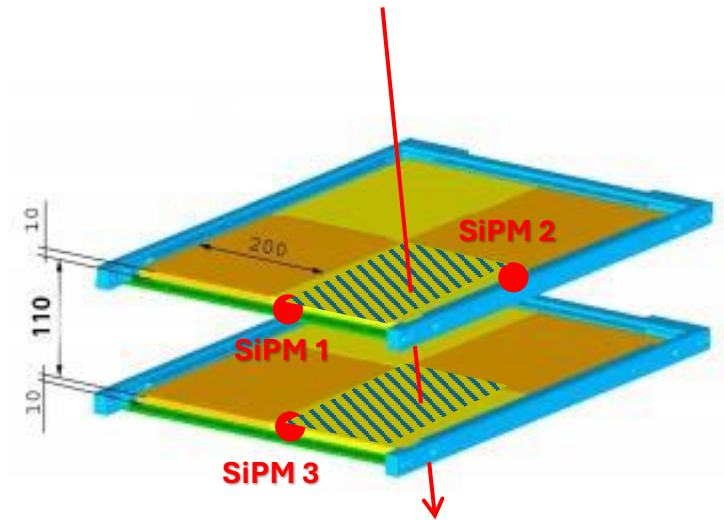


Corrected for barometric effect and efficiency

Efficiency correction in majority condition

For a given pair *i-th* of tiles, the efficiency is:

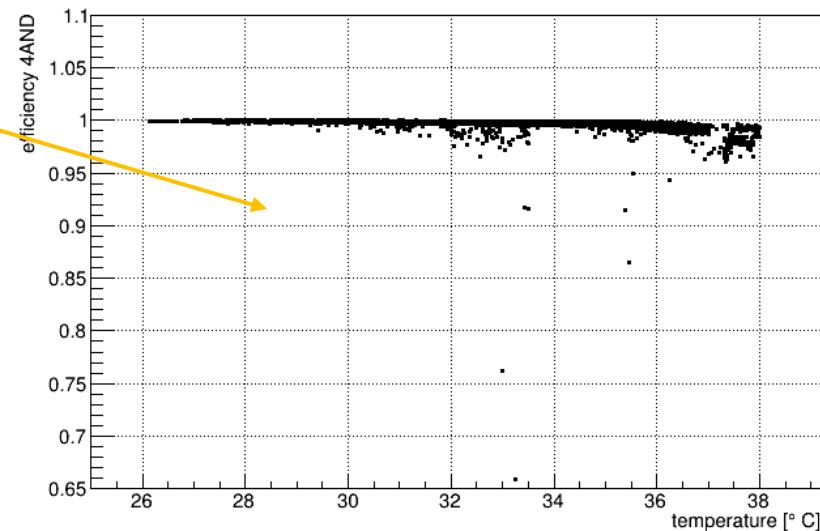
$$\begin{aligned} \varepsilon[i] = & \varepsilon_1[i] \times \varepsilon_2[i] \times \varepsilon_3[i] + \\ & \varepsilon_1[i] \times \varepsilon_2[i] \times \varepsilon_4[i] + \\ & \varepsilon_1[i] \times \varepsilon_3[i] \times \varepsilon_4[i] + \\ & \varepsilon_2[i] \times \varepsilon_3[i] \times \varepsilon_4[i] - \\ & 3 \times \varepsilon_1[i] \times \varepsilon_2[i] \times \varepsilon_3[i] \times \varepsilon_4[i] \end{aligned}$$



No dependance on temperature

Rate4c corrected for efficiency =

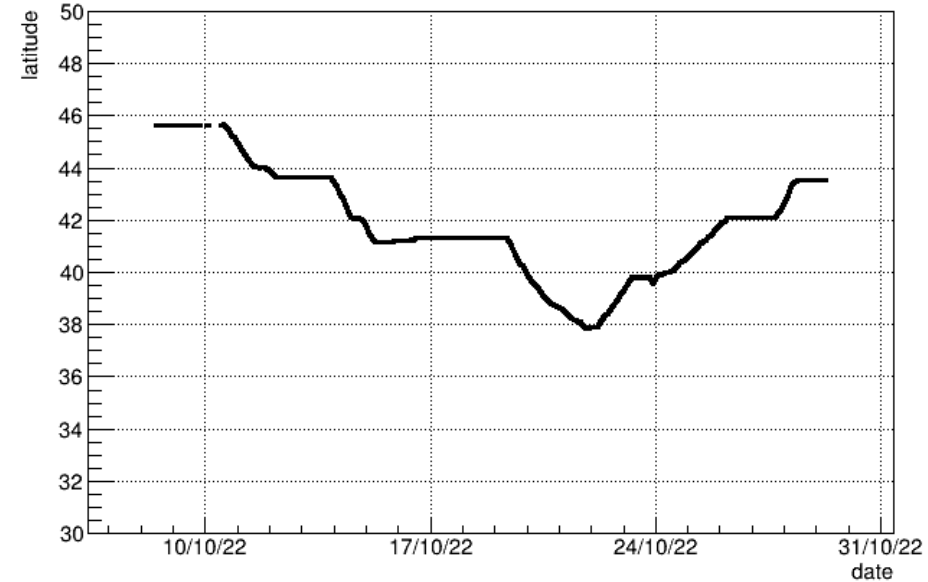
$$\sum_{i=0}^{15} \text{ratePair}[i] / \varepsilon[i]$$



Rate dependance on latitude

Quality cuts were modified:

- **status** = 0
- **pres** > 800 && < 1100
- **temp** AND **temp2** > 15 && < 40
- **abs(rateRaw - parRates[0]) < 2**
- **rate** > 10
- **(rate - rate4c)/rate** < 0.1
- **Efficiency[ipair]** > 0.2
- **corrRate4c** > 15
- **rate4c/corrRate4c** > 0.95



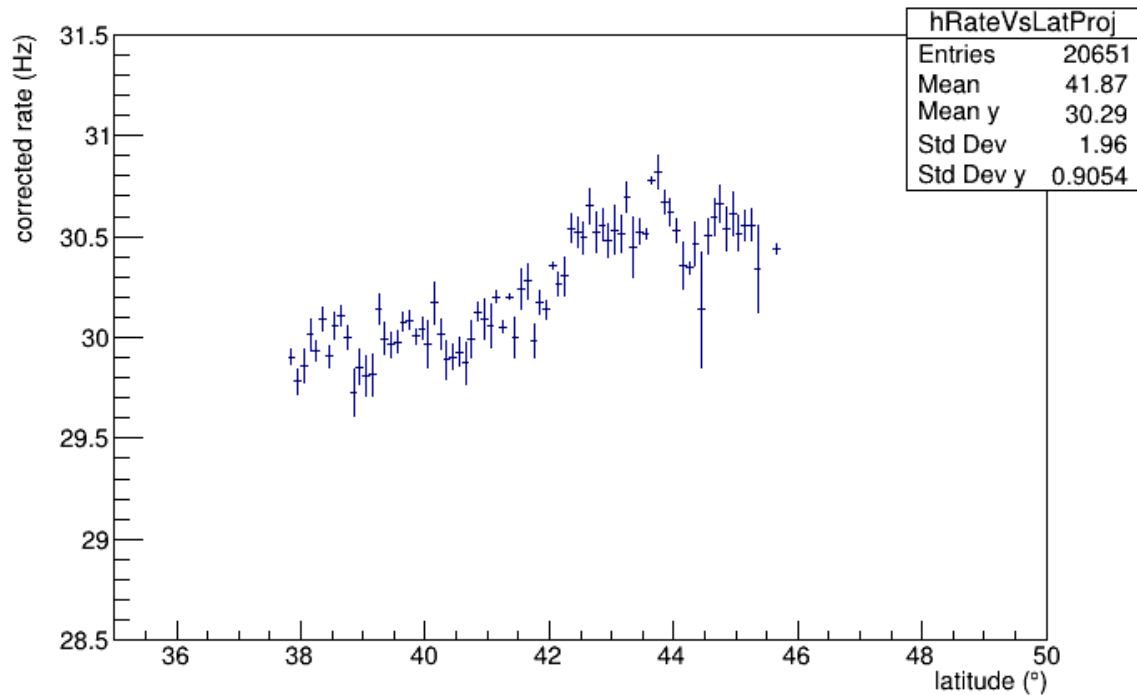
Total number of rejected measures 8048 (28%)

Dependance on latitude studied in:

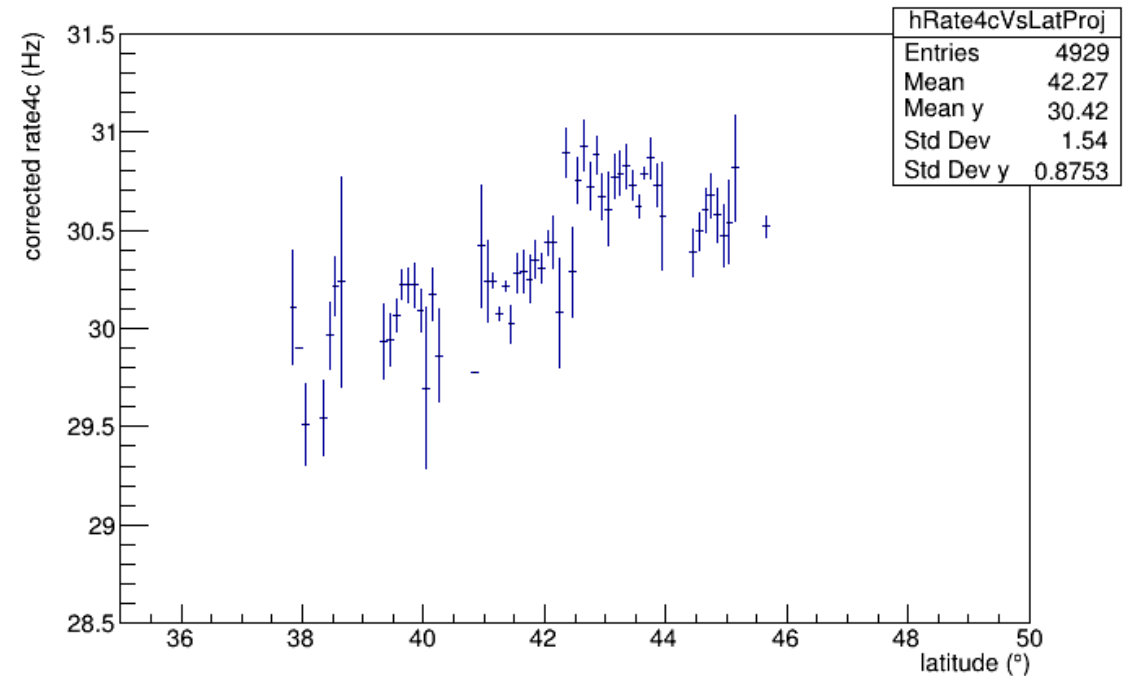
- 4AND condition (4 SiPMs fired + 1 single track)
- Majority condition (3 out of 4 SiPMs fired + 1 single track)

Rate dependance on latitude

0.1 deg steps



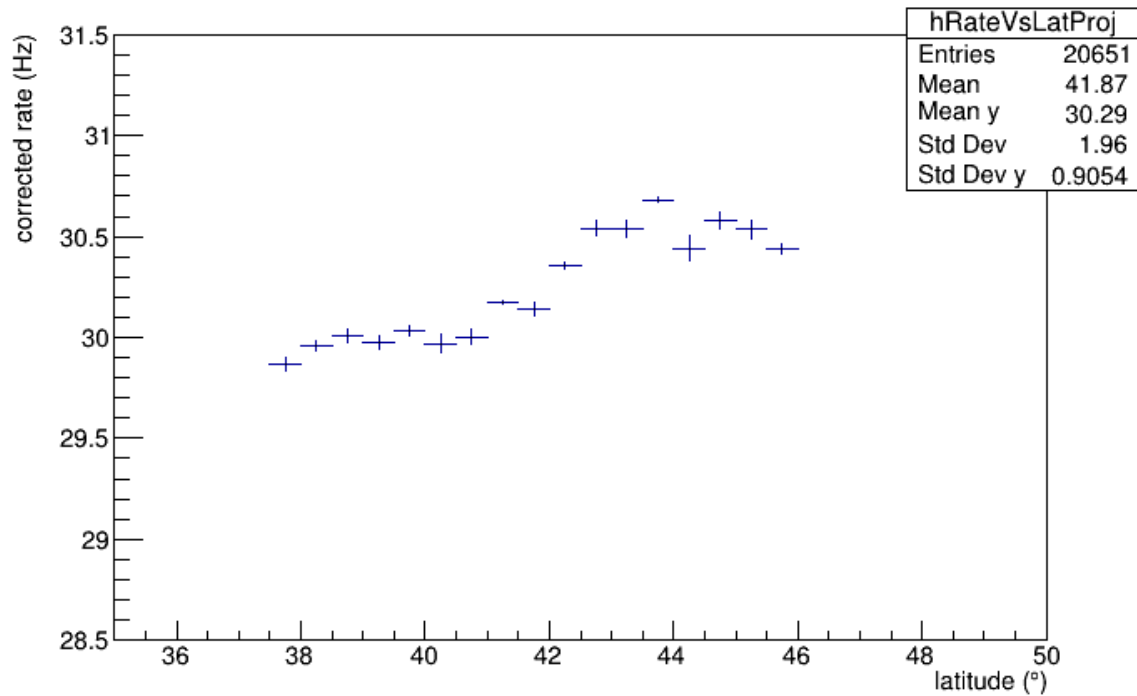
Majority condition



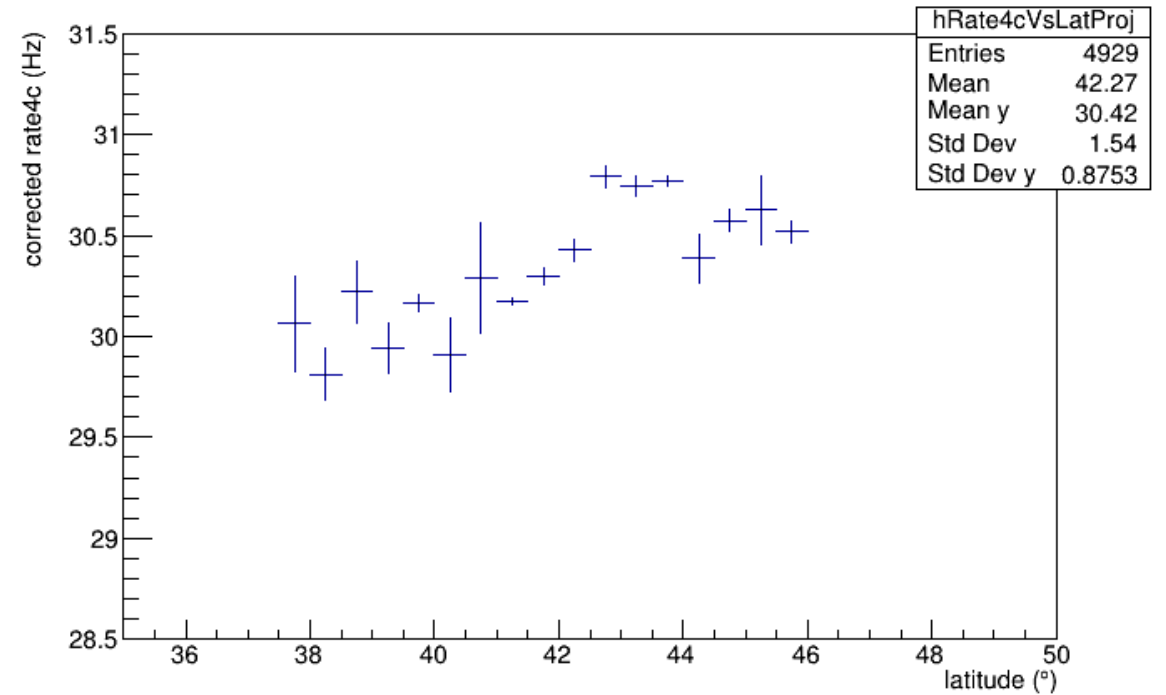
4AND condition

Rate dependance on latitude

1 deg steps



Majority condition



4AND condition

Conclusions

- Cuts to be optimized (check with previous analysis on POLA-01 data)
- Improve correction for efficiency (depending on Francesco's presentation today)
- Include rate VS lat points from POLA-02 in the published plot

