

Preliminary analysis of “POLA” detector rates

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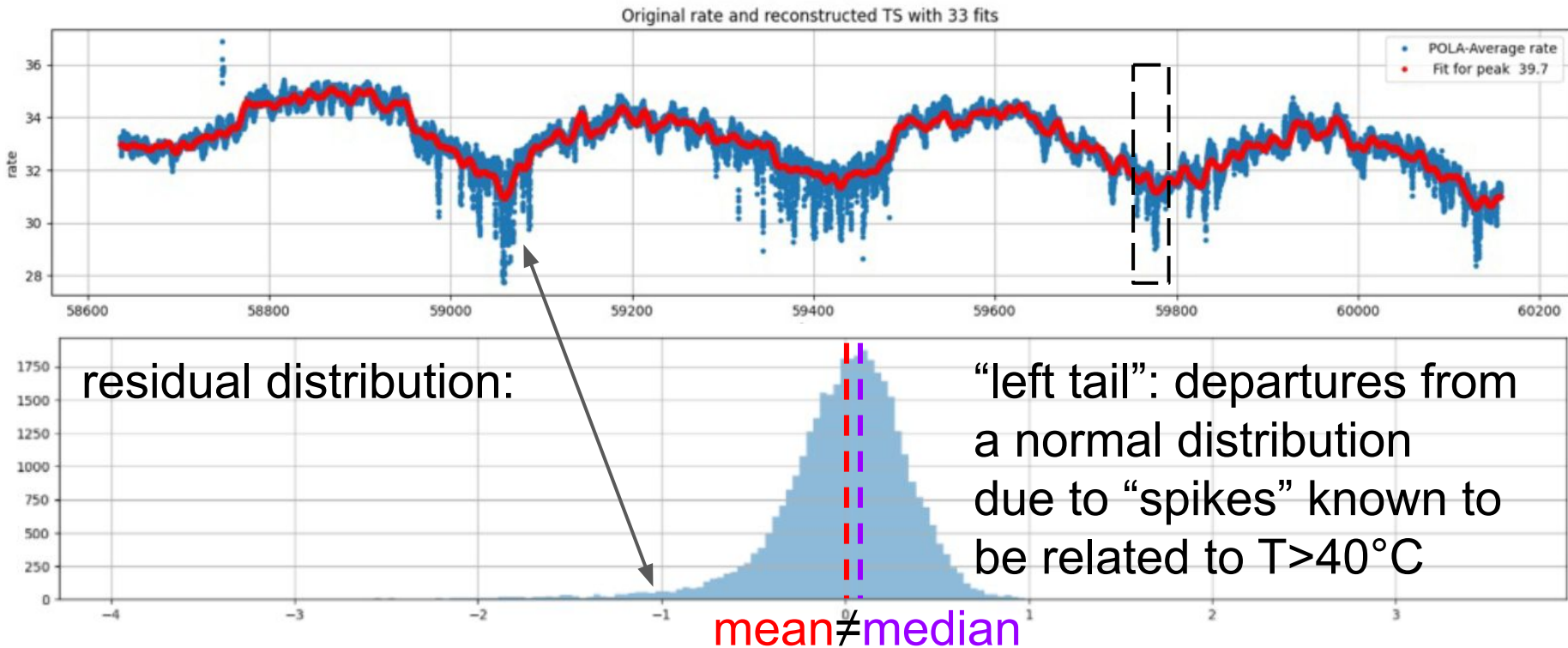
(INFN-TIFPA & Trento University)



Outlook:

- 1) Identification/mitigation of “short term” systematics:
“spike problem”
- 2) Identification/mitigation of “long term” systematics:
“bimodal distribution problem”
- 3) Possible effect due to solar modulation

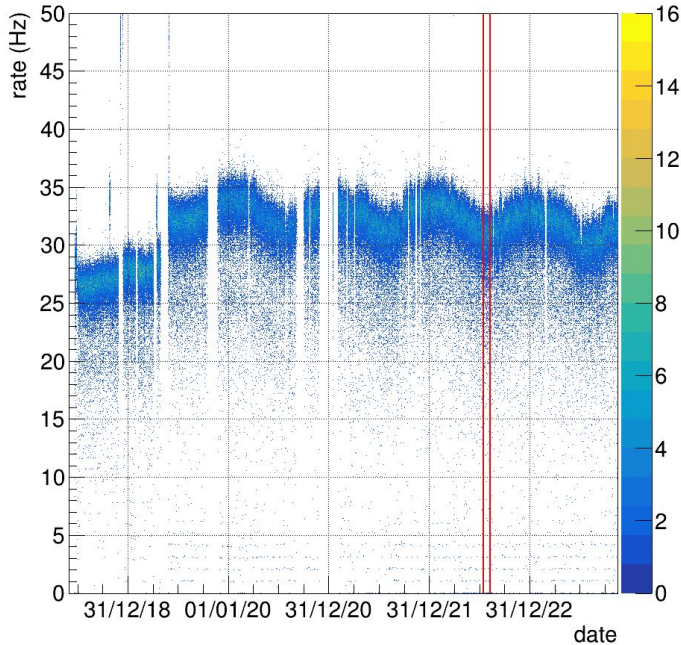
1) The “SPIKE” problem: (from the slides of O. Pinazza nov’23)



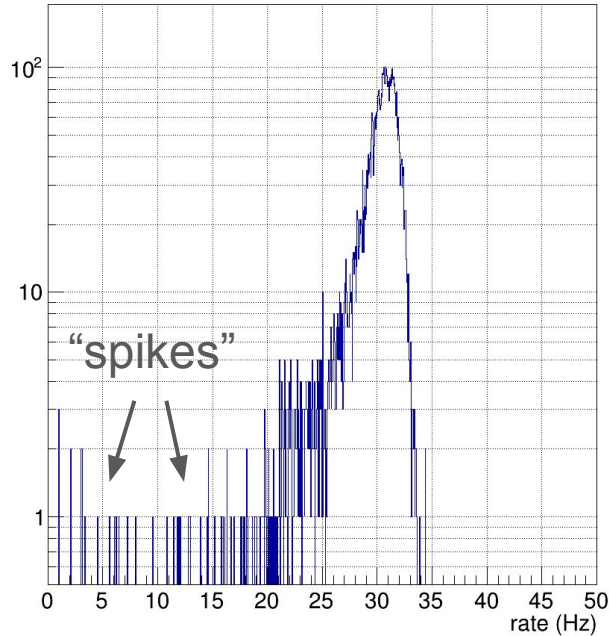
The **mean** is “pulled down” by spikes, the **median** is a more robust estimator. Spikes are a problem for the sub-year periodicity study (must be solved in future) Now we can publish annual modulation using the **median** and 15 days bin width

Example of median & mean estimators for 15 days bin width

POLA-03



ProjectionY for 15days

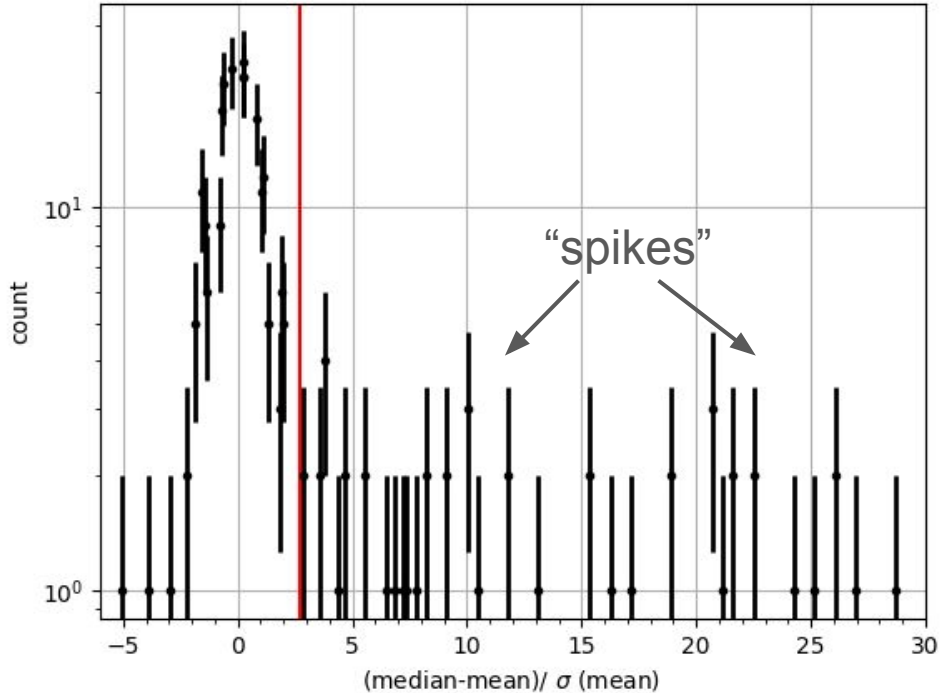


For this slice example:
Mean = 30.32 Hz
Median = 30.52 Hz
(median-mean) = 0.2 Hz
 $\sigma/\sqrt{n} = 0.006$ Hz

The effect on mean is statistically noticeable

(selection: status==0)

the “spike detection”: median-mean estimator



Another suggestion is to reject data points where $|\text{median-mean}| > k \cdot \sigma / \sqrt{n}$ ($k = 4-5$ T.B.D.)

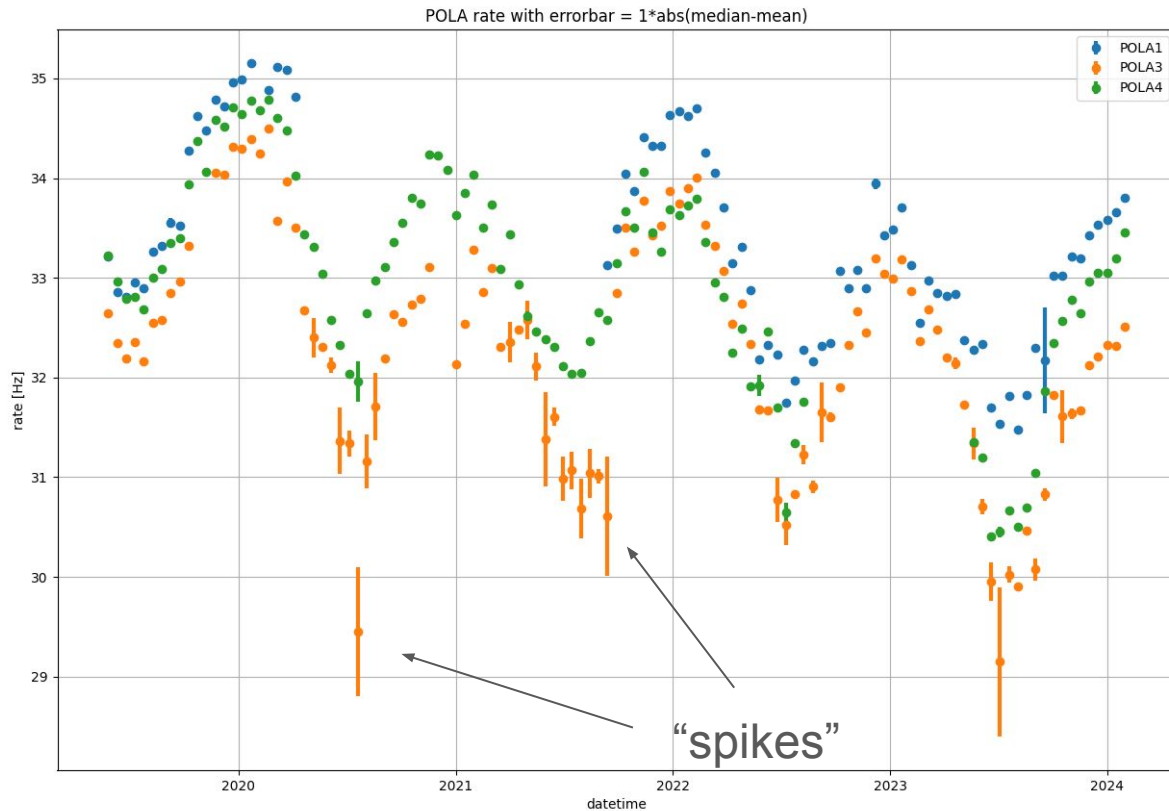
Using median and 15day bins we can correct/mitigate the spike effect

however a cautious approach is to add a systematic uncertainty related to the mitigation of this known effect:
 $\sigma_{\text{sys}} = |\text{median-mean}| \times \text{factor}$

where factor = $[0,1]$ is a safety factor we must decide.

With this approach the fits to the data will be less affected by the points affected by the spikes.

Example of time series with systematic error

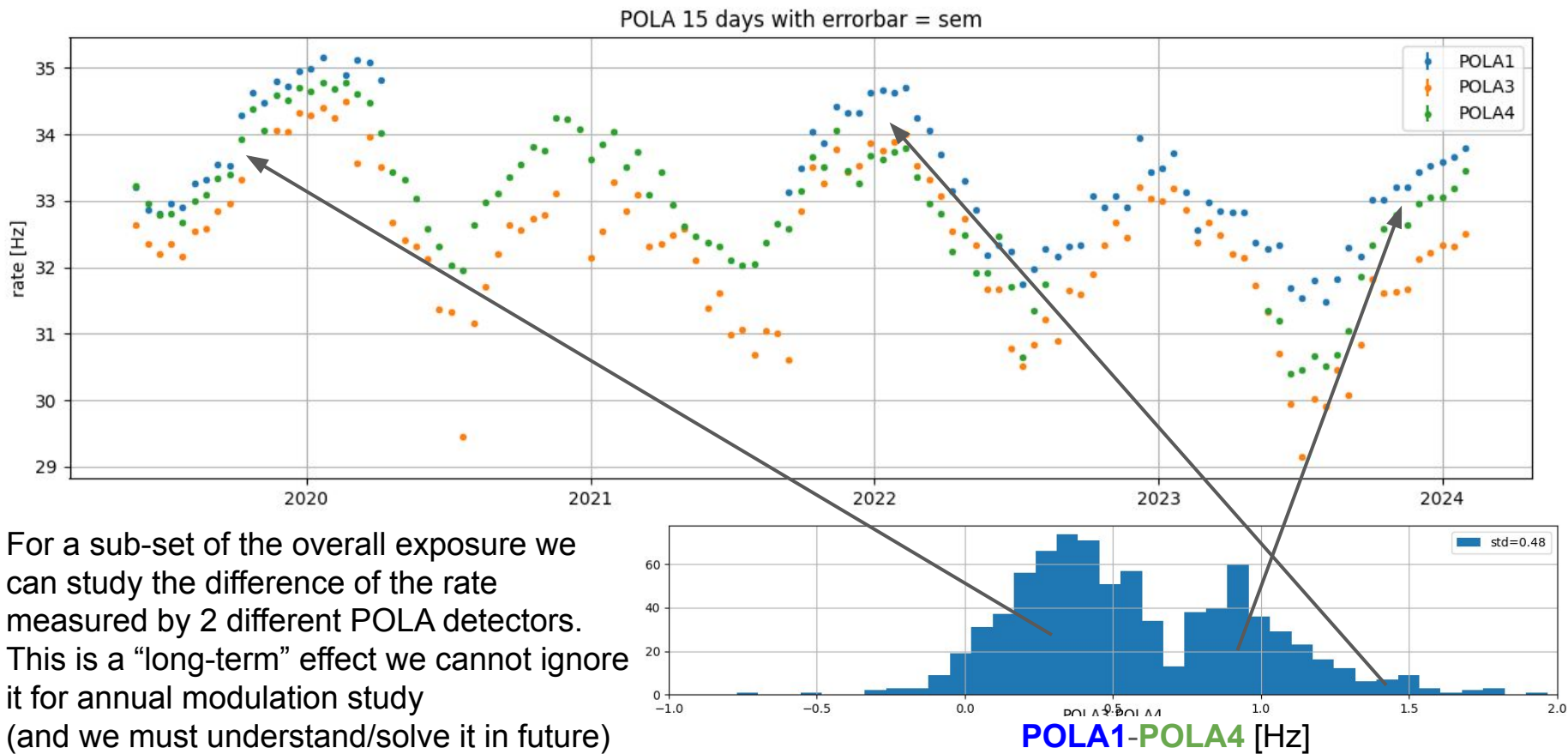


Example of safety factor = 1

$$\sigma_{\text{sys}} = 1 \times |\text{median-mean}|$$

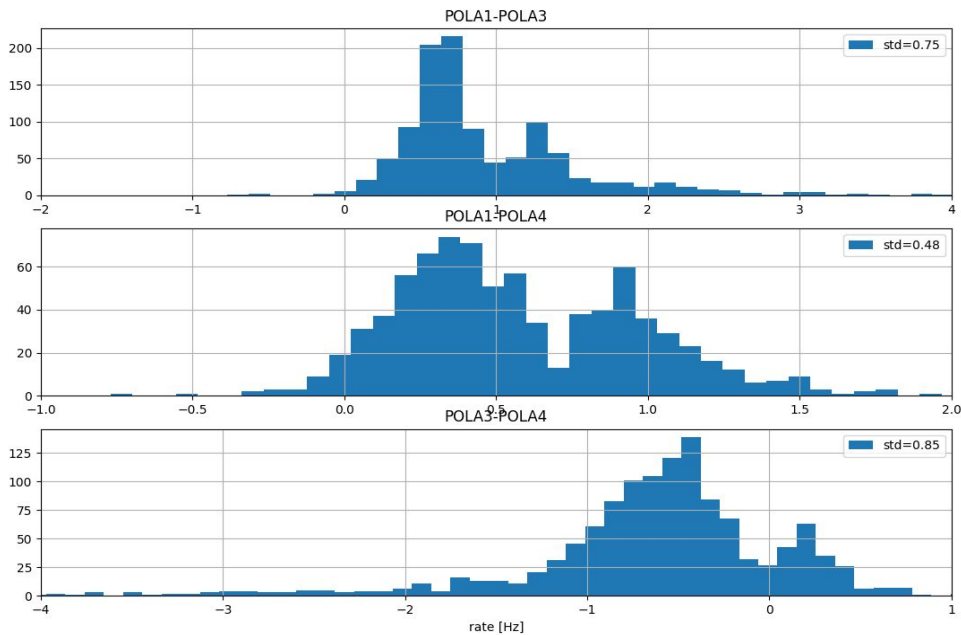
Period affected by spikes
now have bigger
uncertainty.

2) The “bimodal distribution” problem:

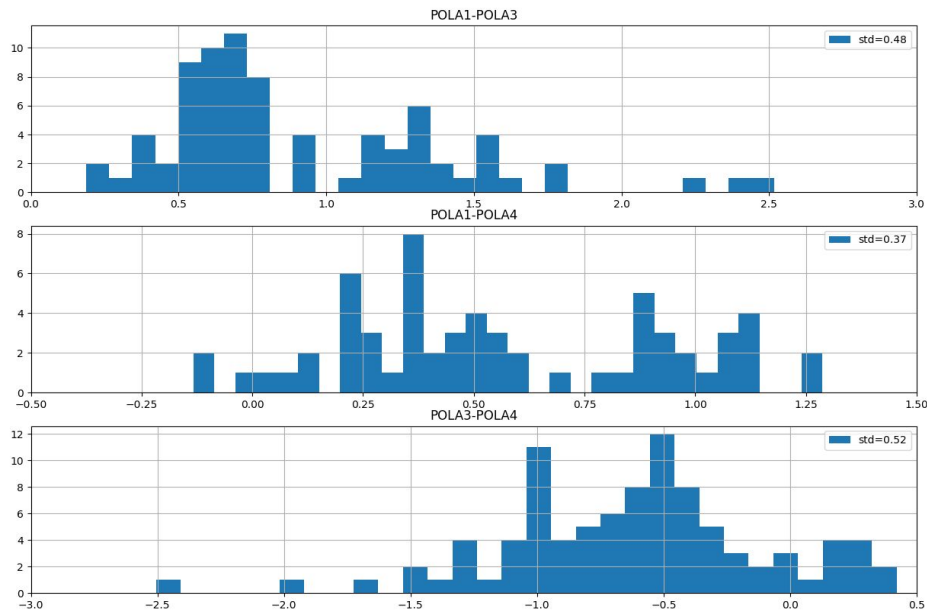


“bimodal distribution” problem is affecting all the POLA

median difference between POLA (1day)



median difference between POLA (15days)

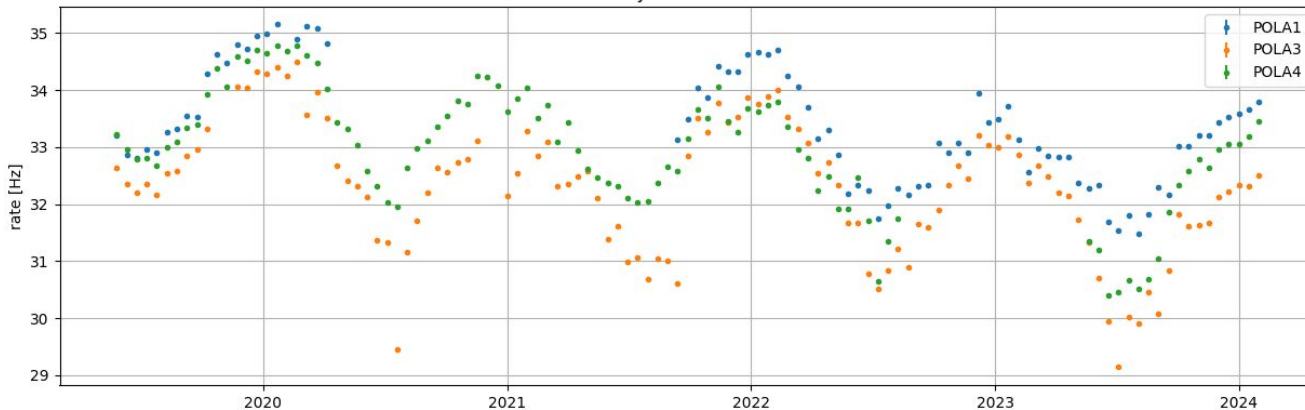


For the moment a “pragmatic” solution is to add a systematic error to account this effect:

$$\sigma_{\text{syst}2} = \text{WAVG} (\text{STD}(\text{POLA1-POLA4})/\sqrt{2} ; \text{STD}(\text{POLA1-POLA3})/\sqrt{2} ; \text{STD}(\text{POLA3-POLA4})/\sqrt{2})$$

Proposed systematic uncertainties:

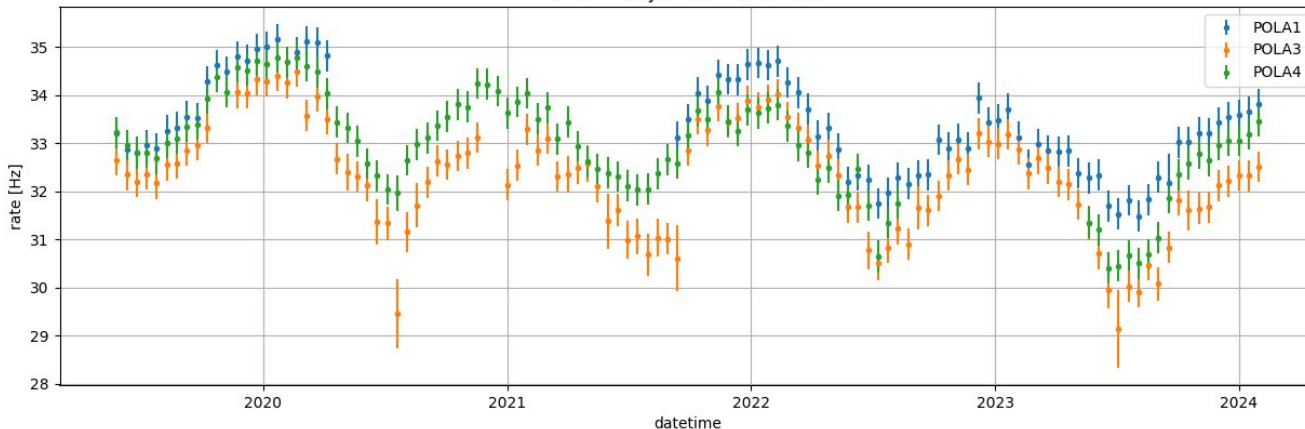
POLA 15 days with errorbar = sem



The $SEM = \sigma/\sqrt{n}$ error bars strongly underestimate the systematic effects.

With syst. uncertainties we could start quantitative analysis of the measured “long term” POLA rates

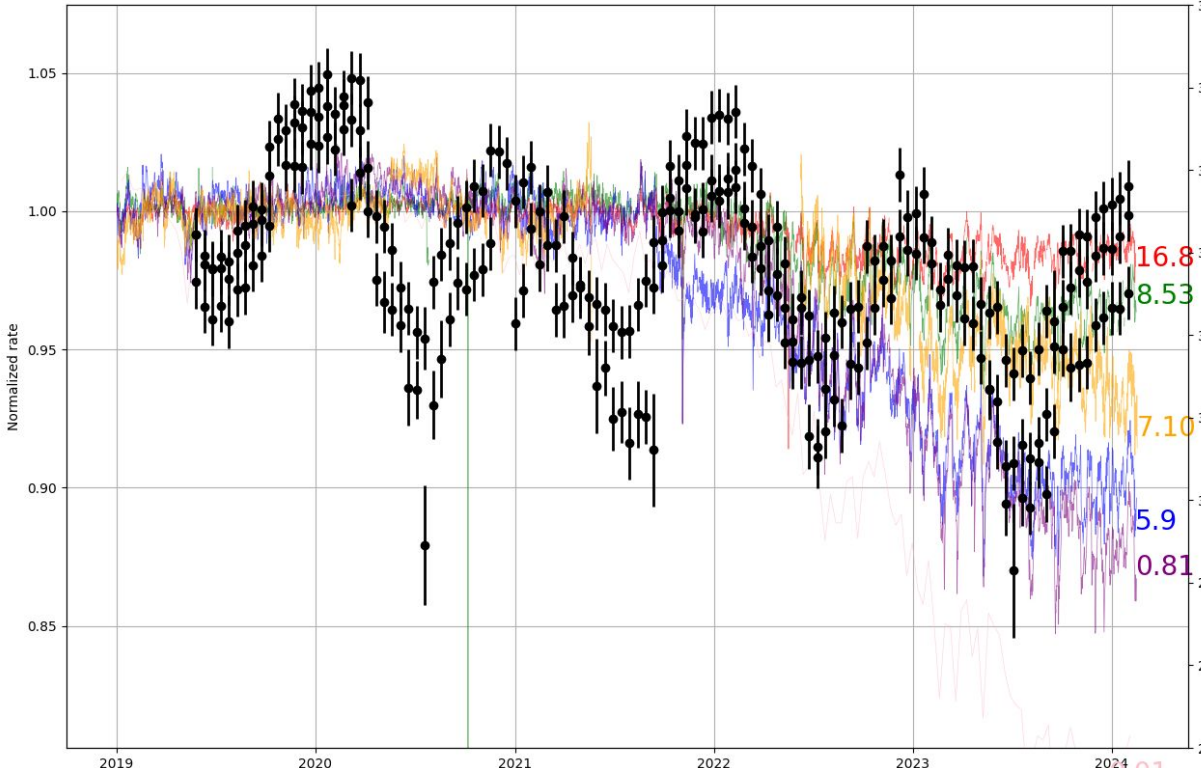
POLA 15 days with new errorbar



BUT

these effects must be investigated and solved in future to analyze “short term” periodicity

3) possible interpretation due to solar modulation



Solar modulation affects strongly neutron monitors “located” at low Rigidity cutoff (<https://www.nmdb.eu/nest/>)

PSNM (Thailand) $E_k > 15.9\text{GeV}$

ATHN (Athens) $E_k > 7.6\text{GeV}$

NANM (Armenia) $E_k > 6.2\text{GeV}$

AATB (Kazakhstan) $E_k > 5\text{GeV}$

OULU (Finland) $E_k > 300\text{MeV}$

\leq Svalbard NM expected

DOMB (Concordia south pole)

To produce a π (at rest) the kinetic energy threshold of a proton is $\sim 300\text{MeV}$.
 However a μ have to cross 1000g/cm^2 they must loss $> 1.8\text{GeV}$ (... without decaying)
 Therefore is reasonable that the effective “cutoff” for the primary proton is $E_k > 6\text{GeV}$

Conclusions:

- 1) “spike problem”: to be solved to study short term periodicity
- 2) “bimodal distribution problem”: must be solved to study the long term periodicity - solar modulation effects
- 3) Possible interesting interpretation due to solar modulation